

Read 3.5 - 3.6

H.W 2 Due today

H.W 3 available

Old Exams / practice Questions  
coming soon

Office hours noon - 1:00 today

D2L

NO H.W

NO clickers (yet)

only Grp 1

\* Math

\* understand H.W

# Chapter 3

Already seen speed which is described by a single number or magnitude and velocity which must be described by a magnitude and direction

scalar : magnitude only  $\text{ex}$  speed  
horses  
cars  
:

Vector: magnitude and direction ex velocity acceleration

written as letter with arrow over it.  $\vec{v}$ ,  $\vec{a}$

magnitude of a vector is a scalar

## Interactive Question

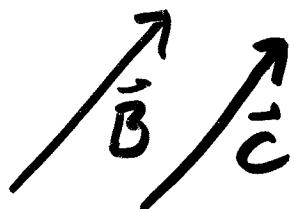
Which of the following is a vector quantity?

- A) The age of the earth.
- B) The mass of a football.
- C) The earth's pull on your body.
- D) The temperature of an iron bar.
- E) The number of people attending an OU football game.

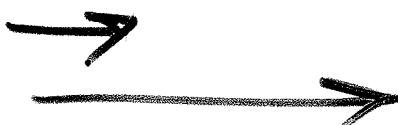
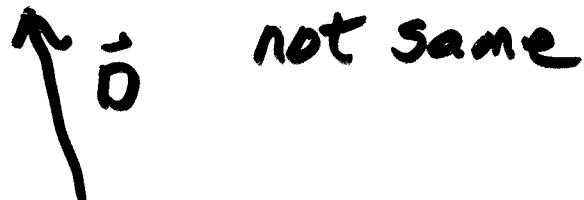
vectors are drawn as an arrow where the length of the arrow is proportional to the magnitude and the direction of the arrow gives the direction of the vector



do not have a specific location

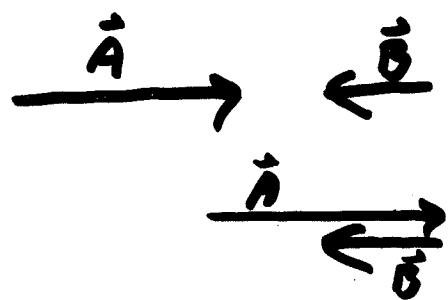
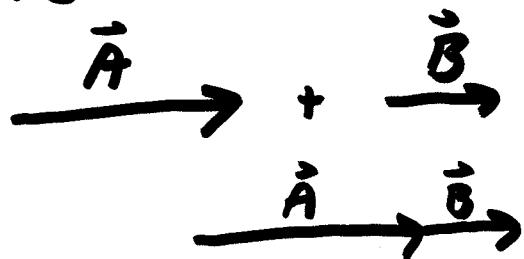


$\vec{B}$  and  $\vec{C}$  are the same



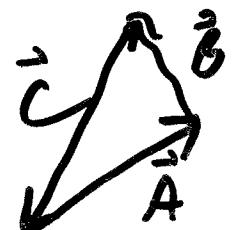
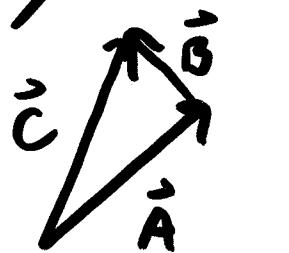
# ADDING Vectors

You have already added 1-D vectors



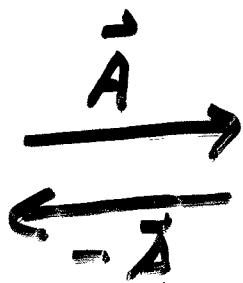
To add put tail of one vector to head of the other

2-D



$$\vec{A} + \vec{B} + \vec{C} = \vec{0}$$

$$\vec{A} + \vec{B} = -\vec{C}$$

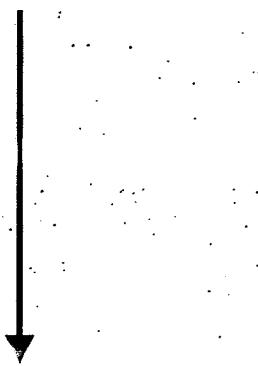


## Interactive Question

The vector  $\overrightarrow{A}$  is shown.



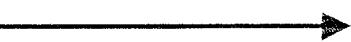
Which vector(s) below is equal to  $-2\overrightarrow{A}$ ?



(A)



(B)



(C)

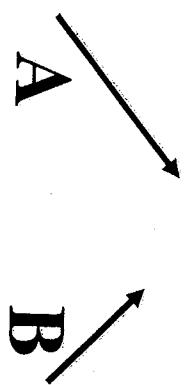


(D)

(E) More than one of the above is equal to  $-2\overrightarrow{A}$

## Interactive Question

Vectors A and B are shown below.



Which diagram below correctly shows the vector C,  
where  $C = A + B$

- (A) A diagram showing three vectors originating from the same point. Vector A points downwards and to the left, vector B points upwards and to the left, and vector C points vertically upwards, representing the resultant vector of A and B.
- (B) A diagram showing three vectors originating from the same point. Vector A points downwards and to the left, vector B points upwards and to the right, and vector C points upwards and to the left, representing the resultant vector of A and B.
- (C) A diagram showing three vectors originating from the same point. Vector A points downwards and to the left, vector B points upwards and to the right, and vector C points downwards and to the left, representing the resultant vector of A and B.
- (D) A diagram showing three vectors originating from the same point. Vector A points downwards and to the left, vector B points upwards and to the right, and vector C points upwards and to the right, representing the resultant vector of A and B.
- (E) A diagram showing three vectors originating from the same point. Vector A points downwards and to the left, vector B points upwards and to the right, and vector C points upwards and to the right, representing the resultant vector of A and B.

# Interactive Question:

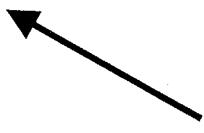
Consider 2 vectors  $\vec{R}$  and  $\vec{S}$



What is  $\vec{R} + \vec{S}$ ?



A)



B)



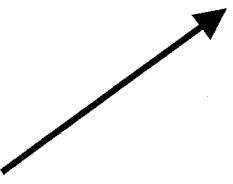
C)



D)

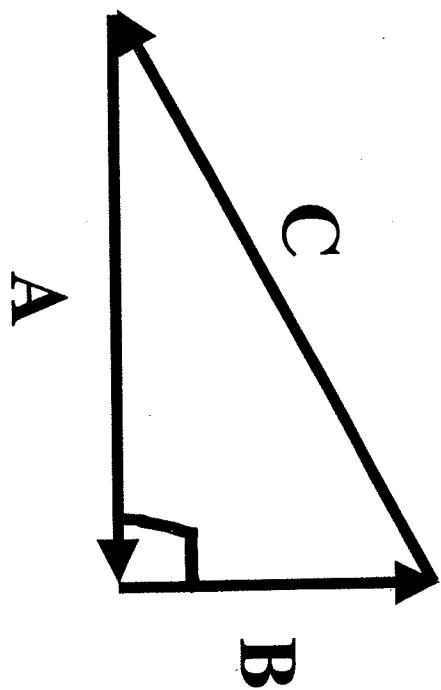


E)



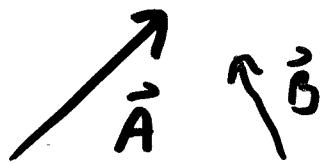
## Interactive Question

Which expression is not true concerning the vectors shown in the sketch at the right?



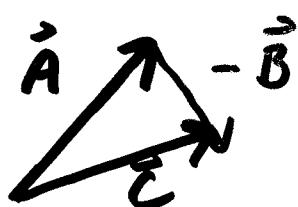
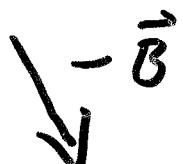
- A)  $\vec{C} = \vec{A} + \vec{B}$
- B)  $\vec{C} + \vec{A} = -\vec{B}$
- C)  $\vec{A} + \vec{B} + \vec{C} = 0$
- D)  $C < A + B$
- E)  $A^2 + B^2 = C^2$

# subtraction of vectors



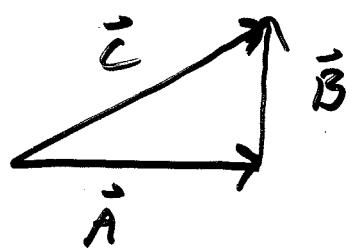
$$\vec{C} = \vec{A} - \vec{B}$$

add negative of vector  $\vec{B}$  to  $\vec{A}$



$$\vec{C} = \vec{A} - \vec{B} = \vec{A} + (-\vec{B})$$

If  $\vec{A}$  and  $\vec{B}$  are at right angles to each other



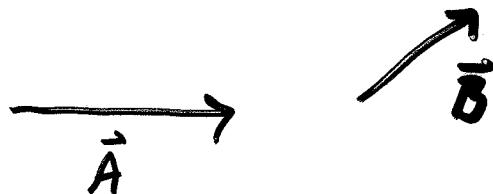
$$\vec{C} = \vec{A} + \vec{B}$$

what is length  
(magnitude) of  $\vec{C}$ ?

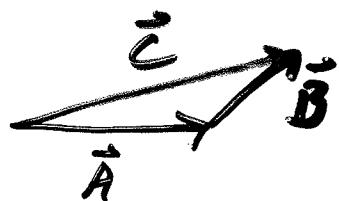
$$c^2 = A^2 + B^2 \quad |C| = \sqrt{A^2 + B^2}$$

↑  
magnitude

Consider 2 vectors



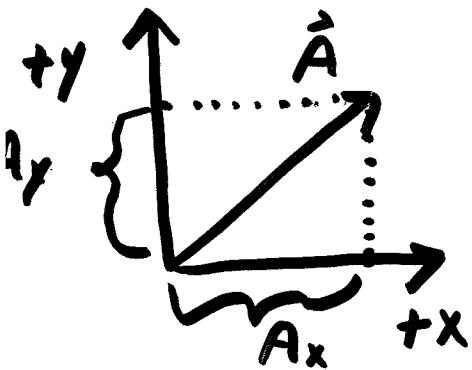
$$\vec{C} = \vec{A} + \vec{B}$$



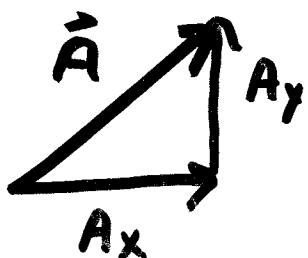
$$Is |C| = \sqrt{A^2 + B^2} ?$$

NO,  $\vec{A} + \vec{B}$  not at right angles  
to each other

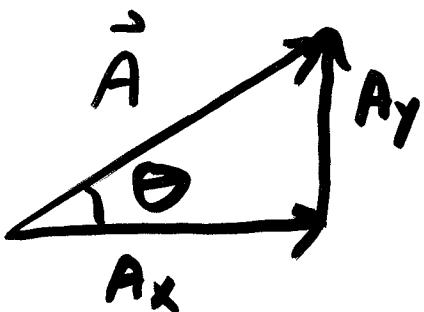
# Components



How much of  $\vec{A}$  is pointing in x-Direction



$$\vec{A} = A_x + A_y$$



$$A_x = A \cos \theta$$

$$A_y = A \sin \theta$$



TRIG ! ! !

$$\sin \theta = \frac{\text{opp}}{\text{hyp}} = \frac{A_y}{A}$$

$$A_y = A \sin \theta$$

$$\vec{A} \rightarrow \vec{B} \quad \vec{D} = \vec{A} + \vec{B}$$

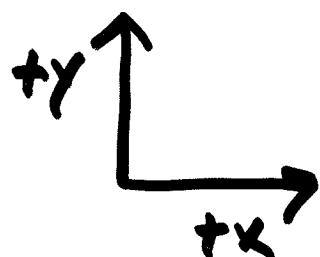
$$\vec{A} = A_x + A_y$$

$$\vec{B} = B_x + B_y$$

$$\vec{D} = D_x + D_y$$

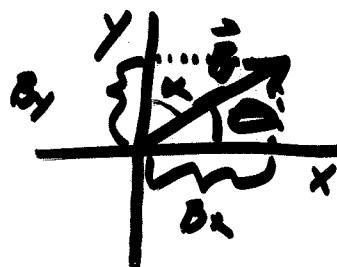
$$\vec{D}_x = \vec{A}_x + \vec{B}_x$$

$$\vec{D}_y = \vec{A}_y + \vec{B}_y$$



$$A_x = |A|$$

$$A_y = 0$$



$$B_x = B \cos \theta$$

$$B_y = B \sin \theta$$

$$\begin{matrix} A_x \\ A_y \end{matrix}$$

$$\begin{matrix} B_x \\ B_y \end{matrix}$$

$$\begin{matrix} \vec{D} \\ D_x \end{matrix}$$

$$\begin{matrix} \vec{D} \\ D_x \end{matrix} = \begin{matrix} A_x \\ A_y \end{matrix} + \begin{matrix} B_x \\ B_y \end{matrix}$$

$$A_y = 0 \} D_y$$

$$|D| = \sqrt{D_x^2 + D_y^2}$$